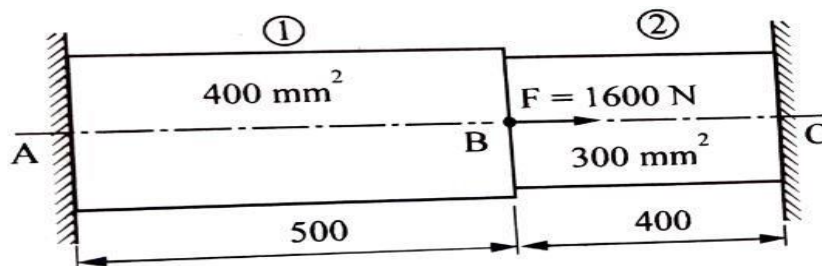


GUJARAT TECHNOLOGICAL UNIVERSITY**BE - SEMESTER-VII EXAMINATION – SUMMER 2025****Subject Code:3171920****Date:14-05-2025****Subject Name:Finite Element Methods****Time:02:30 PM TO 05:00 PM****Total Marks:70****Instructions:**

1. Attempt all questions.
2. Make suitable assumptions wherever necessary.
3. Figures to the right indicate full marks.
4. Simple and non-programmable scientific calculators are allowed.

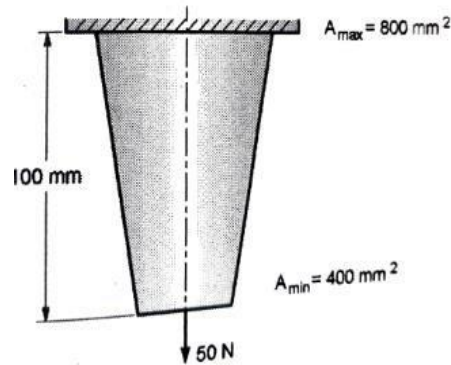
- Q.1** (a) Enlist different types of 1D element with their applications. **03**
- (b) Explain the Rayleigh-Ritz method for finding an approximate solution to the engineering problems. **04**
- (c) Classify the different boundary condition & explain it in detail. **07**
- Q.2** (a) Why FEA gives an approximate solution. **03**
- (b) Do you understand by discretization? What are the factors to be considered for discretizing the domain? **04**
- (c) For the compound section as shown in figure fixed at both ends, estimate reactions at both ends and stresses when a force of 1600 N is applied at the change of cross section. Use penalty approach. **07**

Component	AB	BC
MATERIAL	COPPER	ALUMINIUM
CROSS SECTIONAL AREA	400 mm ²	300 mm ²
Length	500 mm	400 mm
Young's Modulus (Gpa)	125	80

**OR**

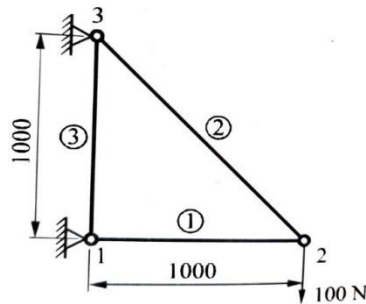
- (c) Derive element stiffness matrix for 1 D bar element & Derive Element Stiffness Matrix for a Spring Element. **07**
- Q.3** (a) Explain symmetric banded matrices and skyline matrices. **03**
- (b) Explain local and global coordinate system for truss element? **04**

- (c) A tapered plate made of steel ($E=2 \times 10^5$ Mpa) is loaded as shown in figure. Model the bar using two linear spar elements and determine the nodal displacements



OR

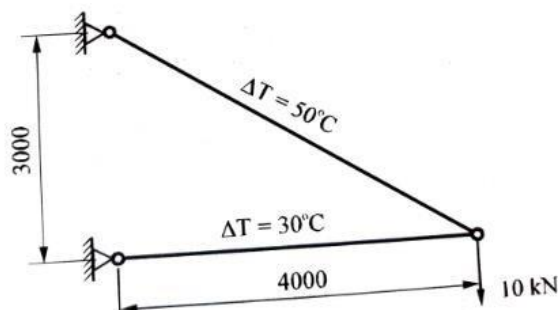
- Q.3 (a) Differentiate between plane stress and plane strain. 03
 (b) Explain the properties of stiffness matrices. 04
 (c) Evaluate the deflection at node 2 for the truss element shown in figure. Take AE/L value as 1000 N/mm. 07



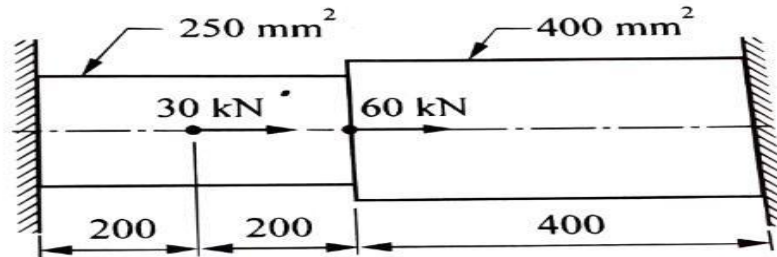
- Q.4 (a) Differentiate between CST and LST. 03
 (b) A constant strain triangular element is defined by three nodes 1(1.5,2), 2(7,3.5) and 3(4,7). Evaluate the shape functions N_1, N_2 , and N_3 at the interior point P (3.85,4.8). 04
 (c) Illustrate the Plane Frames element with neat sketch indicating degree of freedoms. How it is differed from beam element. Write element stiffness matrix K , transformation matrix L and load vector F .

OR

- Q.4 (a) Enlist three examples of practical application of axisymmetric element. 03
 (b) What are the conditions necessary to be followed for considering a problem as axisymmetric? 04
 (c) Determine the global stiffness matrix and global load vector in the truss shown in figure. The cross-sectional area of each member is 200 mm² and modulus of elasticity is 200 GPa. Assume $\alpha = 12 \times 10^{-6}$ per °C. 07

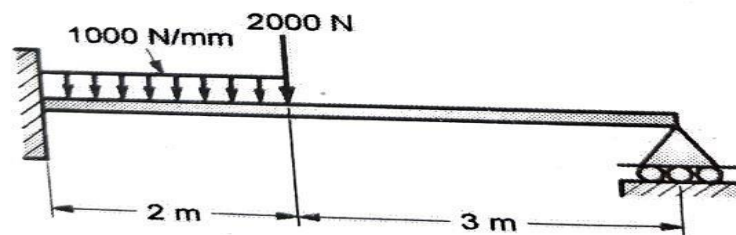


- Q.5 (a)** Explain Constant Strain Triangle. **03**
- (b)** How are the thermal effects considered in the analysis of 1 d linear elements? **04**
- (c)** Consider the bar as shown in figure. Determine the global stiffness matrix and global load vector, if the temperature rises by 60°C . Assume modulus of elasticity for the complete bar as 200 GPa and coefficient of thermal expansion as 12×10^{-6} per $^{\circ}\text{C}$. **07**



OR

- Q.5 (a)** What are the ways through which 3D problems can be reduced to a 2D approach? **03**
- (b)** Define Isoparametric element. **04**
- (c)** For the indicated beam in figure determine the global stiffness matrix. Take product of young's modulus and moment of inertia as $400 \times 10^3 \text{ N-m}^2$. **07**



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